Week 5 Parsing

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Outline

Compilers

Parsing

Σ

Section 1

Compilers



C to executable?

How do you go from "code" to something the computer understands?



C to executable?

How do you go from "code" to something the computer understands?

• What does the computer even understand?



C to executable?

How do you go from "code" to something the computer understands?

- What does the computer even understand?
- What is code?



@nebu addressed this two weeks ago, but let's review.



CPU Diagram



Σ



Machine Language



Programmer

Processor



Code?

```
int main(int argc, char** argv) {
    puts("Hello, World!");
    return 0;
  }
```



Code?

- 1 def main():
- 2 print("Hello, world!")













Syntax Errors Type Checking Lifetime Analysis





Assembly! Optimizations



Questions?



Section 2

Parsing



Remember CFGs?

- So far, we have been using CFGs without any reason.
- Soon, we'll use them to prove properties of computation!



Remember CFGs?

- So far, we have been using CFGs without any reason.
- Soon, we'll use them to prove properties of computation!
- But, sometimes you just want to specify a grammar and parse it, CFGs are useful here too!
- CFGs are ugly though, and we're leaving the world of theory, so we have something better.



Extended Backus–Naur form

```
1 file = line { line } \langle EOF \rangle.
```

 $_2$ line = [assignment | print | reset] <NL>.

```
3 assignment = var ":=" expression.
```

```
4 print = "PRINT" var.
```

```
5 reset = "RESET".
```

```
_{6} expression = term { addop term }.
```

```
7 term = factor { mulop factor }.
```

```
8 factor = "(" expression ")" | var | number.
```

```
9 addop = "+" | "-".
```

```
10 mulop = "*".
```

```
var = letter { letter | digit }.
```

```
number = [ "-" ] digit { digit }.
```

13 letter = ('A' - 'Z') | ('a' - 'z').

```
14 digit = ('0' - '9').
```



Parse Tree





Parse Tree

- x = 12 + 15
- $_2$ PRINT x



So, PDAs?

• This "language" is representable by a CFG, so should we use a PDA to parse it?



So, PDAs?

- This "language" is representable by a CFG, so should we use a PDA to parse it?
- Let's not.

LL Parsing

- Reading Left to right, performing a Leftmost processing.
- Formally, this type of parser is equivalent to a deterministic pushdown automata. But, much easier to write.
- Requires our grammar to follow some rules, but all grammars (parseable by DPDAs) can be (annoyingly) converted to do so.



Easy to write?

So easy to write:

1 start = F | '(' start '+' F ')'

```
_{2} F = 'a'
```

This parses expressions of the form: (a + a), ((a + a) + a), etc.



How do we code this?

```
1 parseF 'a':xs = F, xs
  parseF [] = error
2
3
4 parseS '(':xs = {
       S1, '+':restS = parseS(xs)
5
      F, ')':rest = parseF(restS)
6
   return (S (S1, F)), rest
7
8 F
   parseS x = \{
9
       F, rest = parseF(x)
10
11 return S(F), rest
12 }
  parseS [] = error
13
```

```
1 start = F
2 | '(' start '+' F ')'
3 F = 'a'
```



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Which of these can we fix?



Ambiguity?



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Ambiguity?

Is this a template instantiation? Or are we using operator< and operator> on two variables? It's both.



Fixing bad grammars

It turns out, we can fix them all, except for the last one. We need a more powerful tool for ambiguity.

- It is possible to rewrite anything left-recursive to be non-left-recursive.
- Removing common prefixes is called "left factoring".
- We can change from an LL(1) parser to an LL(k) parser, and "look ahead" k steps. This becomes messier and messier the further we look ahead though.

Nearly every mainstream programming language is LL(1). They are convenient to parse, and even more convenient to write.



Fixing left recursion

1 start = start '+' | 'i'

This parses i+++++, and onwards. How do we get rid of the left recursion?



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The general strategy is:

•
$$S = 'x'$$
 becomes $S = 'x'S_new$

- S = S'x' becomes S_new = 'x'S_new
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- S = S'x' becomes S_new = 'x'S_new
- Add S_new = ϵ
- start = 'i' start_new
- 2 start_new = '+'start_new | ϵ



```
Fixing common prefixes
```

```
1 start = 'a' B | 'a' 'd'
2 B = 'c'
```



```
Fixing common prefixes
```

```
1 start = 'a' B | 'a' 'd'
```

 $_{2}$ B = 'c'

Becomes:

- 1 start = 'a' D
- $_2$ D = B | 'd'
- 3 B = 'c'



Solving Ambiguity

Remember our CFG from last week?

$$S \rightarrow \varepsilon \mid Sab \mid aSb \mid aSbS$$

 $\mid Sba \mid bSa \mid bSaS$

We can try to fix the left recursion and the common prefixes, but we'll get stuck in an infinite loop. This grammar is "ambiguous", we would need to look ahead infinitely many steps to parse it. We need non-determinism to parse this.



Backtracking to the rescue?

```
def parseS(inp):
1
        if inp == '': return S(), ''
2
        try:
3
             s, rest = parseS(inp)
4
             if rest[0] == 'a':
\mathbf{5}
                 assert rest[1] == 'b'
6
                 return S(s, 'a', 'b'), rest[2:]
7
             elif rest[0] == 'b':
8
                 assert rest[1] == 'a'
9
                 return S(s, 'b', 'a'), rest[2:]
10
             else:
11
                 assert False
12
        except Exception:
13
             assert inp[0] == 'a'
14
            try:
15
                 s, rest = parseS(inp)
16
17
                 . . .
```



Yikes

This is messy, and it's slow! Try finishing it by yourself. Most modern compilers for non-LL(1) languages [C and C++ :(] use handwritten backtracking parsers like this one.

Writing parsers for fun and profit

Writing parsers is actually very fun! I have had four interviews this semester that required writing a custom parser.

- Try writing parsers for some of the simple examples we discussed today in your favorite language.
- Go meta. Write a "parser compiler" that takes some basic version of EBNF and turns it into code that runs a parser.
- So much more to explore. LR(k), LALR(k), etc.
- Parsing is "solved", more interesting problems in compilers now.



Goodbye

Any sufficiently complicated C or Fortran program contains an ad hoc, informally-specified, bug-ridden, slow implementation of half of Common Lisp.

— Greenspun's tenth rule of programming (1993)

